## 16 The Bratko-Kopec Test Revisited

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### 16.1 Introduction

The twenty-four positions of the Bratko-Kopec test (Kopec and Bratko 1982) represent one of several attempts to quantify the playing strength of chess computers and human subjects. Although one may disagree with the choice of test set, question its adequacy and completeness and so on, the fact remains that the designers of computer-chess programs still do not have an acceptable means of estimating the performance of chess programs, without resorting to timeconsuming and expensive "matches" against other subjects. Clearly there is considerable scope for improvement, as the success of test sets in related areas like pattern recognition attest.

Here the performance of some contemporary chess programs is compared with earlier results from 1981, to help identify the properties of those cases that computers cannot handle well by search alone and to show the relative progress that has been made. Even though use of standard tests is still not widespread, many chess programming groups built such sets and a few have been circulated. One of the earliest was the NY1924 data set (Marsland and Rushton 1973) of about 800 positions, later used in a minor way to assess the performance of Tech (Gillogly 1978), and to develop evaluation function weighting factors (Marsland 1985). At about the same time Ken Thompson was building far larger test suites (Thompson 1979) and more recently Dap Hartmann worked with some 63,000 positions to extract knowledge from Grandmaster games (Hartmann 1987a,b). The Hartmann suite was used to tune the evaluation parameters of such programs as Phoenix and Deep Thought. When one considers that even 63,000 positions is a minuscule fraction of the estimated $10^{43}$ unique chess positions, what role can the small set of $24 \mathrm{~B}-\mathrm{K}$ (Bratko-Kopec) positions play? Aside from being too small, the positions can be criticized because they consider only tactical and pawn lever moves, with many other important ideas and structures not covered. The tactical moves are now thought to be simple for computers, and also much larger test sets exist (Reinfeld 1945). Nevertheless, the true importance of pawn moves for high calibre play is brought out by the B-K positions better than by any other test set.

[^0]Recognizing the narrow scope of the B-K suite, Jens Nielsen is developing a more sophisticated test with a greater range of features and is using it to estimate the Elo rating of commercial chess computers. Nielsen's (1989) system has many facets, using not only time taken to help measure a program's merit, but also testing the program's ability to reject moves. His system includes tests of endgame play, positional play, tactics and traps. At present some 145 problems are posed from 80 positions (many positions require the generation of a sequence of moves). Even though the test is time-consuming to apply, more than 40 programs have been tested and their Elo rating estimated with remarkable correlation to other accepted measures (Nielsen 1989). Like the B-K test and others, this system is of considerable benefit in the development of new chess programs, since it probes for the presence of specific knowledge and for the absence of common conceptual errors.

### 16.2 Previous Results

The original paper by Kopec and Bratko (1982) was also criticized for its unrealistic requirement that the program produce an ordered list of up to three choice moves. Although ordering moves is easy for humans, the pruning algorithm in most chess programs precludes consistent generation of such a list. That objection could have been overcome easily had the experiment been run slightly differently: by providing an ordered list of choice moves and rating performance according to the relative strength of the principal move proposed.

The last and final complaint aimed at prepared test sets is that programs can be tuned to perform well on the suite, perhaps at the expense of their overall playing strength. In principle, this objection is valid and serious, but in practice the pawn lever positions in particular have led to an appreciation of the importance of knowledge assessing critical pawn configurations. Also the harder tactical problems led to the development of selective search extensions (Anantharaman, Campbell and Hsu 1988) to identify and follow forced variations. Further, far more critical to the playing strength of programs than performance on any test suite are other factors, such as good use of time (Hyatt 1984; Anantharaman 1990), and effective use of transposition tables in the endgame (Nelson 1985). Nevertheless, it is clear from the results that the recognized best chess programs exhibit superior performance on the B-K test.

Consider Table 16.1 (Kopec and Bratko 1982), which shows an extract from the original results. Although the weakest programs fared badly when this test set was sprung upon them, some brute-force programs, notably Belle, Duchess and BCP did well even by today's standards. In particular, in 1981 Belle achieved a score of 18 , which today is only exceeded by a handful of programs. Nevertheless, there can be no doubt that the comparably performing programs of today are stronger than Belle' 81 .

Turning now to the results of eight years later, Table 16.2 and Table 16.3, present the data supplied by by applicants to the 6th World Computer Chess

| Computer Subjects |  |  |  |  |  |
| :---: | :--- | :--- | :---: | :---: | :--- |
|  | Program | Rating | Score | T | L |
| 1. | Chess Challenger '10' | Unr | 1 | 1 | 0 |
| 2. | Chess Challenger ' 7 ' | Unr | 5 | 2 | 3 |
| 3. | Sensory Chess Challenger | Unr | 5 | 3 | 2 |
| 4. | Sargon 2.5 | $1720^{\sim}$ | 5 | 2 | 3 |
| 5. | AWIT | 1400 | 5 | 4 | 1 |
| 6. | OSTRICH81 | $1450^{\sim}$ | 6 | 4 | 2 |
| 7. | CHAOS | 1820 | 6 | 5 | 1 |
| 8. | Chess Champion Mk V (E) | $1885^{\sim}$ | 6.83 | 5 | 1.83 |
| 9. | Morphy Encore | $1800^{\sim}$ | 9.33 | 6 | 3.3 |
| 10. | BCP | $1685^{\sim}$ | 13 | 10 | 3 |
| 11. | DUCHESS | 1850 | 16.50 | 10.5 | 6 |
| 12. | BELLE | 2150 | 18.25 | 11 | 7.25 |

Key: (E) Experimental version; ~ Rating is an estimate; (Unr) Unrated; (T) Tactical score; (L) Score on pawn lever positions.

Note: Programs running off mainframe computers have names entirely in upper case letters. Others are stand-alone microcomputer programs.

Table 16.1: An extract from the original (1981) Bratko-Kopec results.

Championships, plus some 1986 data for Awit' 83 . Of the twelve tactical positions, Table 16.2, about half the programs can solve nearly all (thus equaling the Belle' 81 score). Further, virtually all the programs can solve far more than half the tactical positions. As these results show, the harder problems are positions 10 and 22, which are presented in Figure 16.1. However, there was no pattern to explain why the eight programs which successfully solved 11 tactical problems could not solve them all, since their failures were uniformly distributed across five different problems (positions 7, 10, 16, 18 and 22). Also, there can be little doubt that these top programs could be "tuned" to solve all twelve B-K tactical problems, but at what cost to their average playing strength? Equally it would seem that problems $1,12,14,15,16,19$ and 21 are within reach of solution by all contemporary programs, given enough effort. So in some sense those positions are a measure of minimal acceptable strength.

For the lever positions shown in Table 16.3, however, few programs can solve more than half, and only three positions can be solved by almost all the programs. In particular, problems 4,6 and 8 seem easy enough for those programs that have the right knowledge. Interestingly, 13 of the 22 programs solved all three problems and the others only failed to solve one each! On the other hand, almost no program can solve the three most difficult (namely positions 2, 9 and 23), all of which involve a pawn sacrifice for positional gain, either specifically, or as part of the analysis of the principal variations. Figure 16.2 shows two representative positions. Not only are these problems difficult, but also it is possible that the few programs which were successful in solving
them may just have been lucky. Even so, there are possibilities for improvement, since although 15 programs solved neither problem 9 nor 20, Mephisto was able to solve both! This suggests that Mephisto might contain special pawn knowledge not found in other programs.

### 16.3 Conclusion

Our data leads to the final questions. Is the B-K test good enough for estimating the performance of chess programs? Clearly not, since the suite is too small and not wide-ranging enough. Despite that shortcoming, are there still things for programmers to learn from the B-K test? Clearly yes, especially for new programs and those programs which are alone in failing a particular problem. Conversely, when several programs solve one problem, some programming error or lack of knowledge is preventing correct solution by the others. Finally, although more and more chess programs are incorporating selective extensions and dynamic width control in the deeper portions of the search, the results show that at least one fully selective search program, Awit' 83 , achieved a respectable score on the test suite even though it was selective at every level in its search, and even though in over-the-board play it had a checkered career. This suggests that in the middlegame one can do quite well with selective search, but in the endgame totally different knowledge, time control and more dynamic search depth limits are required. Lack of these features accounted for Awit's relatively poorer endgame play.

To conclude, the data presented here provides an opportunity to consider whether the calibre of a chess program is measured not so much by how many correct moves it makes in any test suite, but rather by the quality of the moves it proposes as alternatives to the acknowledged best choices. That is, the quality of a chess program is measured not so much by the frequency with which it plays optimal moves, but by the strength of its less than perfect choices.

| Position <br> Tactical (T) | $\begin{gathered} 1 \\ \text { Qd1 } \end{gathered}$ | $\begin{gathered} \hline 5 \\ \mathrm{Nd} 5 \end{gathered}$ | $\begin{gathered} \hline 7 \\ \text { Nf6 } \end{gathered}$ | $\begin{gathered} \hline 10 \\ \mathrm{Ne} 5 \end{gathered}$ | $\begin{gathered} \hline 12 \\ \text { Bf5 } \end{gathered}$ | $\begin{gathered} \hline 14 \\ \text { Qd2 } \end{gathered}$ | $\begin{gathered} 15 \\ \text { Qxg7 } \end{gathered}$ | $\begin{gathered} \hline 16 \\ \mathrm{Ne} 4 \end{gathered}$ | $\begin{gathered} \hline 18 \\ \mathrm{Nb} 3 \end{gathered}$ | $\begin{gathered} 19 \\ \text { Rxe4 } \end{gathered}$ | $\begin{gathered} \hline 21 \\ \text { Nh6 } \end{gathered}$ | $\begin{gathered} 22 \\ \text { Bxe4 } \end{gathered}$ | $\begin{aligned} & \mathrm{Ttl} \\ & 12 \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| AI Chess | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | 12 |
| Awit'83 | ok | ok | Bd6 | Qc5 | ok | ok | ok | ok | ok | c5 | ok | ok | 9 |
| Bebe | ok | ok | ok | Rd7 | ok | ok | ok | ok | ok | ok | ok | ok | 11 |
| BP | ok | ok | Rg3 | Qc5 | ok | ok | ok | ok | ok | ok | ok | Nh5 | 9 |
| Centaur | ok | e5 | ok | Qc5 | ok | ok | ok | ok | ok | ok | ok | e5 | 9 |
| Cray Blitz | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | 12 |
| Dappet | ok | Bf4 | ok | Qc5 | ok | ok | ok | ok | f5 | ok | ok | e5 | 8 |
| Deep Thought | ok | ok | ok | ok | ok | ok | ok | Qh5 | ok | ok | ok | ok | 11 |
| Hitech | ok | ok | Ra2 | ok | ok | ok | ok | ok | ok | ok | ok | ok | 11 |
| Lachex | ok | ok | ok | ok | ok | ok | ok | ok | f5 | ok | ok | ok | 11 |
| \% Mach 4 | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | Ne5 | 11 |
| Mephisto | ok | ok | Qc1 | ok | ok | ok | ok | ok | ok | ok | ok | ok | 11 |
| ? Merlin | ok | ok | ok | Qc5 | ok | ok | ok | ok | Be6 | ok | ok | ok | 10 |
| Modul | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | 12 |
| Much | ok | Bf4 | ok | Qc7 | ok | ok | ok | ok | Bg4 | ok | ok | Rd8 | 8 |
| Pandix | ok | Rad1 | Rg3 | Qc5 | ok | ok | ok | ok | Qb6 | ok | ok | e5 | 7 |
| Phoenix | ok | ok | ok | ok | ok | ok | ok | ok | Qb6 | ok | ok | ok | 11 |
| Rebel | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | ok | Ne5 | 11 |
| Shess | ok | Rad1 | Bb4 | Qc5 | ok | ok | ok | Be7 | Bg4 | ok | Qe3 | e5 | 5 |
| Waycool | ok | ok | Ra2 | ok | ok | ok | ok | ok | ok | ok | ok | Nh5 | 10 |
| Y!89 | ok | ok | Bb4 | ok | ok | ok | ok | ok | Qb6 | ok | ok | e5 | 9 |
| Zarkov | ok | ok | ok | Qc5 | ok | ok | ok | ok | f5 | ok | ok | Rd8 | 9 |




Figure 16.1: Two difficult tactical positions.


Posn. 9, white plays f5.


Posn. 23, black plays f6.

Figure 16.2: Two difficult pawn lever positions.


[^0]:    This chapter is an expanded version of a paper in the New Directions in Game-Tree Search Workshop proceedings, T.A. Marsland (ed.), Edmonton, May 1989, pp. 135-139. Later it appeared in the Journal of the International Computer Chess Association, vol. 13, no. 1, pp. 15-19.

